1

"Quo Vadis, Fascinum?" ("Where do you go, Charm?") -- 10 Years Later -or: On the Motivation for Continuing Studies of Charm Dynamics

> Ikaros Bigi Notre Dame du Lac

1st Prologue

`The Era of Factories'

Factory more than place where something is produced --

its products have to be consumable!



# factories

| e |          | • LEP I: $Z^0$ factory few $\times 10^6 Z^0$ ***         |
|---|----------|--|
| + | he<br>av | □ CLEO/BELLE/BABAR: B fact. few × 10 <sup>8</sup> BB *** |
|   | У        | DADNE: Ф factory   |
| e | fl<br>av | • CLEO-c: $\tau$ -D factory few $\times 10^7$ DD         |
| _ | or       | Linear collider: top (& W& H) factory                    |

# Super-factories

- DAΦNE II:
- BES III
- Super-B: up to 10<sup>10</sup> BB
- □ Giga-Z: 10<sup>9</sup> Z<sup>0</sup>
- JLAB: Kaon factory
- neutrino factories



## 2nd Prologue

# Role of Charm in Evolution of SM & its Acceptance

- introduced for specific reasons & with specific properties
- facilitated for KM to come up with KM ansatz
- $\bullet$  observation of J/ $\psi\,$  shook up community
- lead to paradigm shift in accepting quarks as real entities
- MARK III established precedent for threshold factory

$$e^{+}e^{-}$$

$$\psi'' \rightarrow D\overline{D}$$



## Charm a closed chapter?

My intention

`I have come to praise C. -- not to bury it!'

charm dynamics full of challenges -- & promises triple motivation for further dedicated studies

- QCD (& `beyond'): understanding nonperturb. dynamics & establishing theoretical control over it
- B dynamics: calibrating theoret. tools for B studies
- 8 New Physics: charm transitions a novel window onto New Physics

accuracy of theoretical description of essential importance!



# The Menu

- I Theory
- II Lessons on QCD
- III `Tooling up' for B Studies
- IV QCD Menu for a Super- $\tau$ -charm Factory
- V Searching for New Physics (mostly in my 2nd talk)
- VI Conclusions & Outlook (given in my 2nd talk)

S. Bianco,F. Fabbri,D. Benson, I. Bigi:`A Cicerone for the Physics of Charm', hep-ex/0309021, to appear in Rivista del Nuovo Cimento, ~ 200 pages



# I Theory

# 2 different aspects



`charm between world of bona fide heavy & light flavours'

light u,d s c heavy super-heavy b t accumulated evidence: charm `mostly somewhat' heavy



a priori semi-quantitative description

Non-Rel. Quark Models



still useful tool for training intuition & as diagnostics of results from sum rules & LQCD -but not good enough for final answers

- ➡ HQE: expansion in 1/m<sub>Q</sub>
  - Ifetime ratios: a posteriori works!
- ➡ Light Cone Sum Rules
  - $\otimes$   $D \rightarrow I \nu \pi, \rho$ : a posteriori fails!



- Lattice QCD: only promise for truly quantit. treatment of charm hadrons with ability for systematic improvement
  - charm as bridge between heavy & light?
  - 🙂 needs`just more' time
  - monopoly of theoretical technology ?
- I.B. (Marbella '93):
- "A tau-charm factory is the QCD machine for the 1990's!"
- Yet: threshold for significance much higher in the 2000's!
- great opportunity for demonstrating theoretical control over strong dynamics: Hashimoto's talk!
- calibration for B physics
  - engineering input: absolute charm BR's
  - decay constants [not fundamental constants]:  $f_D$ ,  $f_{D_S} \rightarrow f_B$ ,  $f_{B_S}$
  - Cathedral Paradigm': charm spectroscopy & B dynamics

essential QCD info to exhaust discovery potential in B physics!



# (1.2) Probes for New Physics

- Beading transitions Cabibbo favoured (unlike for K & B)
  - scrutinize Cabibbo once & doubly suppr. modes
- SM phenomenology `dull'
  - D<sup>0</sup>-D<sup>0</sup> oscillations `slow'
  - ◆ CP asymmetries `tiny'

How slow is `slow'? -- How tiny is `tiny'?

- D<sup>0</sup>-D<sup>0</sup> oscillations: within SM Cabibbo & GIM suppr.
   not necessarily with New Physics
- ☺ ∠P: KM phases truly tiny
  - ► EP in DCSD -- \*\*\*
  - EP involving D<sup>0</sup>-D<sup>0</sup> oscillations -- \*\*\*



# (1.3) Theory of Charm

Z

Yet --

only up-type quark allowing full range of probes for New Phys.

- top quarks do not hadronize
- up quarks: no  $\pi^0$ - $\pi^0$  oscillations possible

CP asymmetries basically ruled out by CPT



#### II Lessons on QCD

- $\begin{array}{ll} & \hbox{will not cover charmonia} \rightarrow & \hbox{Hashimoto-san \& Ted Barnes} \\ & \hbox{will not cover decay constants } f_D, f_{D_S} \rightarrow \hbox{Hashimoto-san} \\ & \hbox{$\sim $f_D$, $f_{D_S}$ important parameters -- not constants of nature} \end{array}$
- 2.1 Is Charm Heavy? -- or: the HQE in Inclusive H<sub>c</sub> Decays

$$\label{eq:mc} \Box = \left\{ \begin{array}{ll} 1.19 \pm 0.11 \ \mbox{GeV} & \mbox{charmonium sum rules I} \\ 1.30 \pm 0.03 \ \mbox{GeV} & \mbox{charmonium sum rules II} \\ 1.14 \pm 0.1 \ \mbox{GeV} & \mbox{moments of SL B decays} \end{array} \right.$$







# $\Rightarrow \tau(\mathsf{D}^+) > \tau(\mathsf{D}^0) \sim \tau(\mathsf{D}_s) \geq \tau(\Xi_c^+) > \tau(\Lambda_c^+) > \tau(\Xi_c^0) > \tau(\Omega_c^0)$

|   | 1/m <sub>c</sub> expectations               | theory comment | data          |
|---|---|----------------|---------------|
| τ(D⁺)/ τ(D <sup>0</sup> )                 | $\sim 1 + (f_D/200 \text{ MeV})^2 \sim 2.4$ | PI dominant    | 2.54 ± 0.01   |
| $\tau(D_s)/\tau(D^0)$                     | 1.0 - 1.07                                  | without WA     |               |
|   | 0.9 - 1.3                                   | with WA        | 1.22 ± 0.02   |
| $\tau(\Lambda_c^+)/\tau(D^0)$             | ~ 0.5                                       | Quark Model ME | 0.49±0.01     |
| $\tau(\Xi_{c}^{+})/\tau(\Lambda_{c}^{+})$ | ~1.3 - 1.7                                  | "              | $2.2 \pm 0.1$ |
| $\tau(\Lambda_c^+)/\tau(\Xi_c^0)$         | ~ 1.6 - 2.2                                 | **             | 2.0 ± 0.4     |
| $\tau(\Xi_c^+)/\tau(\Xi_c^0)$             | ~2.8  | **             | 4.5 ± 0.9     |
| $\tau(\Xi_c^+)/\tau(\Omega_c^0)$          | ~4  | **             | 5.8 ± 0.9     |
| $\tau(\Xi_c^0)/\tau(\Omega_c)$            | ~ 1.4                                       | **             | 1.42 ± 0.14   |



- yes, apply expansion in 1/m<sub>c</sub> at your own risk, but ...
- $\circ$  saving grace: leading correction of order  $1/m_c^2$  rather than  $1/m_c$
- $\odot$  observed pattern reproduced/predicted semiquantitatively -- with  $\tau(D^+)/\tau(\Omega_c^{-0})\sim 20!$
- destructive PI main engine driving lifetime differences among mesons,
   yet WA -- while not leading -- still significant in D decays
  - more theoretical work needed on WA in meson decays
  - impact of WA on exclusive final states in meson decays: constructive in D<sup>0</sup> and/or destructive in D<sub>s</sub>?
- baryons present complex challenge
- description for baryonic widths helped by generous errors
- $\bigcirc$  sole sign for significant discrepancy emerges in  $\tau(\Xi_{c}^{\ +})$  --

observed lifetime 50 % longer than predicted !



Success in describing observed lifetime ratios one of the best confirmations for charm being a heavy quark whenever leading nonperturb. contributions ~  $O(1/m_Q^2)$ 

 whatever SELEX has observed -- I do not believe its peculiar events can be double-charm baryons:
 mass splittings too large

lifetimes too short without expected hierarchy

2.1.2 SL Branching Ratios

three issues:

- o absolute size of SL BR
- o ratios of SL BR's
- absolute size of  $\Gamma_{SL}(D)$

new element: contributions of order 1/m<sup>2</sup>Q



# BR<sub>SL</sub>(D)

`Fly-in-the-ointment':

HQE → PI main engine driving  $\Gamma_{NL}(D^{+}) \bigotimes s.t. < \Gamma_{NL}(D^{0})$  $\Gamma_{SL}(D^{+}) = \Gamma_{SL}(D^{0}) + O(tg^{2}\Theta_{C})$ 

 $\Rightarrow \mathsf{BR}_{\mathsf{SL}}(\mathsf{D}^+)/\mathsf{BR}_{\mathsf{SL}}(\mathsf{D}^0) = \tau(\mathsf{D}^+)/\tau(\mathsf{D}^0) + \mathcal{O}(\mathsf{T}g^2\Theta_{\mathcal{C}})$ 

BR<sub>SL</sub>(D<sup>+</sup>) > "expected" ~ BR<sub>SL</sub>(D<sup>0</sup>) i.e. `enhanced' `normal'

yet:  $BR_{SL}(D^+) = (17.2 \pm 1.9) \% \sim BR_{SL}(c) \qquad BR_{SL}(D^0) = (6.75 \pm 0.29) \%$ 

resolution:  $\mu_G^2/m_c^2$  term in HQE lowers BR<sub>SL</sub>(D)

 $BR_{SL}(D) \sim 9 \%$  for D=D<sup>+</sup>, D<sup>0</sup> in order  $1/m_c^2$ 



# Ratios of $BR_{SL}(H_c)$

□ isospin invariance  $\rightarrow \tau(D^+) / \tau(D^0) = BR_{SL} (D^+) / BR_{SL} (D^0) + O(tg^2 \theta_C)$ 

□ HQE yields  $\tau(D_s^+) / \tau(D^0) \approx BR_{SL} (D_s^+) / BR_{SL} (D^0)$ 

semileptonic BR's for baryons do not reflect lifetime ratios!

$$\Gamma_{\mathsf{SL}}(\mathsf{D}) \neq \Gamma_{\mathsf{SL}}(\Lambda_{\mathsf{c}}) \neq \Gamma_{\mathsf{SL}}(\Xi_{\mathsf{c}}) \neq \Gamma_{\mathsf{SL}}(\Omega_{\mathsf{c}})$$

constructive PI in SL  $\Xi_c$  and  $\Omega_c$  decays  $\longrightarrow$ 

$$\begin{split} & \mathsf{BR}_{\mathsf{SL}}(\Xi_c^{\ 0}) \thicksim \quad \mathsf{BR}_{\mathsf{SL}}(\Lambda_c) \quad \text{vs.} \quad \tau(\Xi_c^{\ 0}) \thicksim \mathsf{0.5}{\cdot}\tau(\Lambda_c) \\ & \mathsf{BR}_{\mathsf{SL}}(\Xi_c^{\ +}) \thicksim \mathsf{2.5}{\cdot} \, \mathsf{BR}_{\mathsf{SL}}(\Lambda_c) \ \text{vs.} \quad \tau(\Xi_c^{\ +}) \thicksim \mathsf{1.3}{\cdot}\tau(\Lambda_c) \\ & \mathsf{BR}_{\mathsf{SL}}(\Omega_c) \lessdot \mathsf{15} \ \% \end{split}$$

possible only at a tau-charm factory

SL widths for charm baryons are highly nonuniversal!
 important test of HQE in charm transitions





HQE with factorizable contributios order  $1/m_c^3$  yields merely ~ 2/3 of  $\Gamma_{SL}(D)$  -- indications remainder from nonfactorizable contributions

► no accurate extraction of V(cb) from  $\Gamma_{SL}(D)$ 

2.2 Exclusive H<sub>c</sub> Decays

Theor. tools exist only for describing

- SL decays with 1 hadron/resonance
- NL " 2 hadrons/resonances

in final state







# quark models:

- no reliable estimate of uncertainty
- 😕 no systematic improvement

# light cone sum rules

- $\otimes$  underestimate significantly observed  $\Gamma(D^0 \rightarrow e^+ \nu \pi^-)$
- explanation: nonlocal operators & large 1/m<sub>c</sub> correct. (!?)
  LQCD
- © can be improved systematically
- 😑 `our only hope'
- essential to extract V(cs) & V(cd) from SL decays of D<sup>0,+</sup> & D<sup>+</sup><sub>s</sub>



#### 2.2.2 Final States in SL H<sub>c</sub> Decays

- $D^+/D^+_{s} \rightarrow I^+\nu \eta/\eta': \eta/\eta' \text{ wavefunctions}$ 
  - → NL D decays & CP asymm.
  - → NL B decays & CP asymm.
- $D^+/D^+_s \rightarrow I^+\nu$  glueballs





# 2.2.3 Two-body NL H<sub>c</sub> Decays

tool chest:

- pQCD: makes hardly any sense to apply to charm decays
- QCD factorization: could be tried -- yet several reasons
   why it might fail: contributions ~ 1/m<sub>c</sub>
- QCD sum rules a la Blok-Shifman: should be updated & refined
- quark models: for lack of anything better for the time being
- LQCD: needs to be unquenched!



Driving motivation:

Harnessing CP phenomenology as a probe for New Physics main road block:

lack of theor. control over final state interactions

need to `map out' whole Cabibbo landscape

-- Cabibbo favoured, once & doubly suppressed --

for  $D^0, D^+, D^+_s$  decays including multineutral final states



III `Tooling up' for B Studies

nonperturb. dynamics in exclusive  $B \rightarrow I_V D$ ,  $\rightarrow I_V D^* ...$ 

characterized by scale  $m_c$ , not  $m_b!$ 

3.1 Spectra in inclusive SL D<sup>0</sup>, D<sup>+</sup>,  $D_s^+$ ,  $\Lambda_c$  Decays

challenge:

extract |V(cd)/V(cs)| from

- lepton energy spectra  $d\Gamma/dE_1$
- hadronic recoil mass spectra  $d\Gamma/dM_{X}$

in D<sup>0</sup> & D<sup>+</sup> & D<sub>s</sub><sup>+</sup>  $\rightarrow$  I<sup>+</sup> $_{v}$  X



#### 3.2 Spectroscopy of Open Charm Hadrons

3 motivations for understanding charm spectroscopy

- to extract  $\Gamma_{SL}(B)$  and its error from data
- to extract  $B \rightarrow |v D/D^*$  and their errors
- impact on sum rules for  $B \rightarrow I \vee D(s_q = 1/2 \text{ or } 3/2)$

 $\rho^{2}(\mu) - 1/4 = \sum_{n} |\tau_{1/2}|^{(n)} |^{2} + 2 \sum_{m} |\tau_{3/2}|^{(m)} |^{2}$   $\Lambda(\mu) = 2 (\sum_{n} \epsilon_{n} |\tau_{1/2}|^{(n)} |^{2} + 2 \sum_{m} \epsilon_{m} |\tau_{3/2}|^{(m)} |^{2})$   $\mu^{2}_{\pi}(\mu)/3 = \sum_{n} \epsilon_{n}^{2} |\tau_{1/2}|^{(n)} |^{2} + 2 \sum_{m} \epsilon_{m}^{2} |\tau_{3/2}|^{(m)} |^{2}$ where:  $\tau_{1/2} \& \tau_{3/2}$  denote transition amplitudes for  $B \to |v| D(s_{q} = 1/2 \text{ or } 3/2)$  with excitation energy  $\epsilon_{k} \le \mu$   $\rho^{2}(\mu), \Lambda(\mu), \mu^{2}_{\pi}(\mu) \dots \text{ crucial quantities for describing}$ SL B decays



# HQ Sum Rules

| $\rho$  | <sup>2</sup> (μ) - 1/4    | $=\Sigma_n   \tau_{1/2}$  | (n) $ ^2 + 2\Sigma$                  | $_{\rm m}$   $	au$ $_{3/2}$ $^{(\rm m)}$  2                                      |       | Bj    | 199  | 0    |  |
|---|---------------------------|---|--------------------------------------|--|-------|-------|------|------|--|
| L3  | 1/2                       | $= -2 \Sigma_n  \tau $  | $_{1/2}$ <sup>(n)</sup> $ ^2$ +      | $\Sigma_{ m m}$   $	au$ $_{ m 3/2}$ $^{ m (m)}$  2                               |       | U     | 200  | 0    |  |
| r T   | $(\mu) = 2 (\Sigma)$      | $\Sigma_{\mathrm{n}} \epsilon_{\mathrm{n}}   	au_{\mathrm{1/2}}  ^{\mathrm{m}}$ | <sup>a)</sup> $ ^2 + 2 \Sigma_m$     | $\epsilon_{\mathrm{m}}   \tau_{\mathrm{3/2}}  ^{(\mathrm{m})}  ^2 $              |       | Vo    | 199  | 92   |  |
| $\mu^2$   | $e_{\pi}(\mu)/3 = \Sigma$ | $\Sigma_{\rm n} \epsilon_{\rm n}^{2}   	au_{1/2}  ^{(1)}$                       | <sup>n)</sup> $ ^{2} + 2 \Sigma_{n}$ | $\epsilon_{\rm m}^{2}   \tau_{3/2} ^{(\rm m)}  ^2$                               |       | BiSU  | JVa  | 1994 |  |
| $\mu^2$   | $f_{\rm G}(\mu)/3 = -2$   | $2 \Sigma_{\rm n} \epsilon_{\rm n}^{2}   \tau _{1}$                             | $_{/2}$ <sup>(n)</sup> $ ^2 + 22$    | $\Sigma_{\mathrm{m}} \epsilon_{\mathrm{m}}^{2}   	au_{3/2}^{\mathrm{(m)}}  ^{2}$ |       | BiSU  | J 1  | 1997 |  |
| $\rho^3$  | $_{\rm D}(\mu)/3=$        | $\Sigma_{ m n}  \epsilon_{ m n}^{3}  { m l} 	au_{1/2}$                          | (n) $ ^{2} + 2\Sigma_{r}$            | $_{\rm m}\epsilon_{\rm m}{}^3 	au_{3/2}{}^{(\rm m)} ^2$                          |       | ChPi  | r    | 1994 |  |
| <b>ι - ρ</b>  | $B_{\rm LS}(\mu)/3 = 1$   | - $\Sigma_{ m n} \epsilon_{ m n}^{3}$ l $	au_{ m 1/2}$                          | $_{2}^{(n)} ^{2} + 2\Sigma$          | $\Sigma_{\rm m} \epsilon_{\rm m}^{3}   	au_{3/2}^{(\rm m)}  ^2$                  |       | BiSU  | J    | 1997 |  |
| where: $\tau_{1/2} \& \tau_{3/2}$ denote transition amplitudes for<br>B $\rightarrow$ I v D(s <sub>q</sub> = 1/2 or 3/2) with excitation energy $\epsilon_k \leq \mu$ |                           |   |                                      |  |       |       |      |      |  |
| -   | rigorou                   | s definiti  | ons, ineq                            | ualities + ex  | perim | . con | stra | ints |  |
| OT D  | a<br>A                    |   |                                      |  |       |       |      | 26   |  |

Problem: SR barely compatible with broad D resonances above 2400 MeV as 1/2 states (Uraltsev, Orsay group) Spring '03: BABAR finds  $D_s(2317)$ infer  $D_{ud}^{**}(1/2)$  below 2300 MeV

which would be consistent with sum rules

general lesson:

we need to understand charm spectroscopy

- ➡ to extract a precise value for V(cb) [& V(ub)] and
- search for right-handed charged currents of b quarks
   [if V(cb)|<sub>incl</sub> & V(cb)|<sub>excl</sub> inconsistent
  - right-handed currents!]



# IV QCD Menu for a Super-τ-charm Factory

key advantage of a  $\tau$ -charm factory:

extremely clean & model-independent measurements

yet very few things in life come for `free'

- run at different energies for different measurements
  - $\blacksquare$  below charm threshold for  $\tau$  studies
  - $e^+e^- \rightarrow \psi(3770) \rightarrow DD$
  - $e^+e^- \rightarrow DD^*$
  - $\mathbb{R}^{*} e^{+}e^{-} \rightarrow \mathbb{D}_{s}\mathbb{D}_{s} \quad \dots$
- need flexibility and
- the highest luminosity possible!



- below charm threshold for τ studies unique window on lepton dynamics: lepton-#, right-handed current, CP ? polarized beams?
- $e^+e^- \rightarrow \psi(3770) \rightarrow DD$ : absolute BR's, CKM, full Cabibbo pattern, inclusive SL decays, right-handed currents, rare decays, CP
- $e^+e^- \rightarrow DD^*: D^0 \text{ oscillations, } CP$
- $e^+e^- \rightarrow D_s D_s$ : absolute BR's, CKM, full Cabibbo pattern, inclusive SL decays, rare decays, CP
- $e^+e^- \rightarrow D_1D_2 + X$ : charm spectroscopy
- $e^+e^- \rightarrow \Lambda_c \Lambda_c$ : absolute BR's, inclusive SL decays, CP a must (I.B.)
- $e^+e^- \rightarrow \Xi_c \Xi_c$ : absolute BR's, inclusive SL decays desirable (I.B.)

need flexibility, the highest luminosity possible -and watch the competition!