

Beijing, August 2005

Flavour Dynamics & ~~CP~~ in the SM*:
A Tale of Great Successes,
Little Understanding -- and Promise for the
Future!

Ikaros Bigi, Notre Dame du Lac

Lecture III (5)

~~CP~~ in B Decays --
the 'Expected' Triumph of a
Peculiar Theory

Recap from Lecture II

CKM Dynamics -- a reasonable description of flavour dynamics with a very peculiar set of parameters connected to **central mysteries of the SM** --

has to produce a **host of large \cancel{CP} in B decays** with **no plausible deniability**

Nature has been extremely kind to us in implementing this

'Paradigm of large \cancel{CP} in B decays' by arranging for

- (i) **huge** top quark mass, (ii) **'long'** B lifetime,
- (iii) $\Upsilon(4S)$ being **above** BB, **yet below** BB* threshold,
- (iv) **charm** initiating the development of μ vertex detectors

$$L(\Lambda) \rightarrow L(\mu) = \sum_i c_i(\mu, \Lambda) O_i(\mu)$$

c numbers providing gateway for **heavy** d.o.f. with **frequencies** $> \mu$

local operators containing dynamical, i.e. **active** fields with **frequencies** $\leq \mu$

New Physics!

$$K \rightarrow \mu^+ \nu \pi$$

$$Pol_{\perp}(\mu) = \langle \mathbf{s}_{\mu} \cdot (\mathbf{p}_{\mu} \times \mathbf{p}_{\pi}) / |\mathbf{p}_{\mu} \times \mathbf{p}_{\pi}| \rangle \text{ -- } T \text{ odd moment}$$

$$K^+ \rightarrow \mu^+ \nu \pi^0$$

$$Pol_{\perp}(\mu) = (-1.7 \pm 2.3 \pm 1.1) \times 10^{-3} \quad \text{vs.} \quad Pol_{\perp}^{SM}(\mu) < 10^{-6}$$

• a clean search for CP via Higgs dyn.

Why not search in $K_L \rightarrow \mu^+ \nu \pi^-$?

Menu for Lecture III

I Establishing CKM as a Theory: ~~CP~~ in B Decays

Intermezzo 1

"Praise the gods 2x for EPR correlations"

Intermezzo 2

On Final State Interactions & CPT

II On Measuring other ~~CP~~ Observables in $B_{d,u}$ Decays

III ~~CP~~ in B_s Decays -- an Independent Chapter in Nature's Book

IV Rare B Decays

V Summary of Lecture III

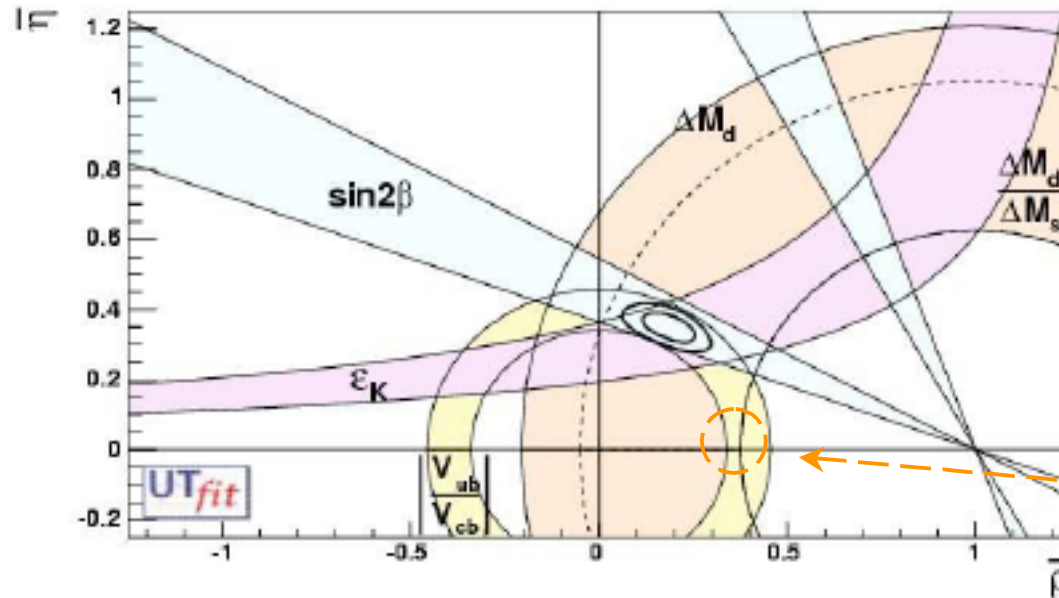
I Establishing CKM as a Theory: ~~CP~~ in B Decays

Era of beauty factories: BABAR, BELLE, CDF, D0

Act 1: $B \rightarrow \psi K_S$ predicted in 1980

- 1997/98 OPAL $\sin 2 \phi_1 = 3.2^{+1.8}_{-2.0} \pm 0.5$
- 1999 CDF: $\sin 2 \phi_1 = 0.79 \pm 0.44$
- 2003 BELLE: $\sin 2 \phi_1 = 0.733 \pm 0.057 \pm 0.028$
BABAR: $\sin 2 \phi_1 = 0.741 \pm 0.067 \pm 0.03$
world average $\sin 2 \phi_1 = 0.736 \pm 0.049$
- 2004 world average $\sin 2 \phi_1 = 0.726 \pm 0.037$
- Summer 2005
world average $\sin 2 \phi_1 = 0.685 \pm 0.032 \pm ??$

→ it is there, it is huge -- as expected!



$$\sin 2 \phi_1|_{WA'04} = 0.726 \pm 0.037 \quad \text{vs.} \quad \sin 2 \phi_1|_{CKM} = 0.725 \pm 0.065$$

at present:

without ϵ_K & $\sin 2\phi_1$ 'flat' CKM triangle still allowed
 [unless accept QCD Fact.'s verdict on $BR(B \rightarrow K \pi)$]

if $\Delta M(B_s)$ measured 'soon':

$|V(ub)/V(cb)|$ & $\Delta M(B_s)$ require non-trivial CKM triangle
 'CP insensitive observables imply CP!'

→ summer '01:

○ CKM paradigm has become a *tested* theory!

○ `demystification of ~~CP~~':

if dynamics can support ~~CP~~, it can be large!

i.e., observable phases can be large!

⇒ `demystification' completed

if find ~~CP~~ anywhere in lepton sector

👉 CKM explains naturally why CP invariance is a `near miss' in K_L decays: 1st & 2nd families almost decoupled from 3rd!

□ baryon # of Universe (Sakharov '65)

① baryon number changing processes ✓

② ~~CP~~!

③ Universe out of thermal equilibrium
EWSB & GUTSB ✓

☹ standard CKM irrelevant for baryon number of universe

😊 New Physics exists!

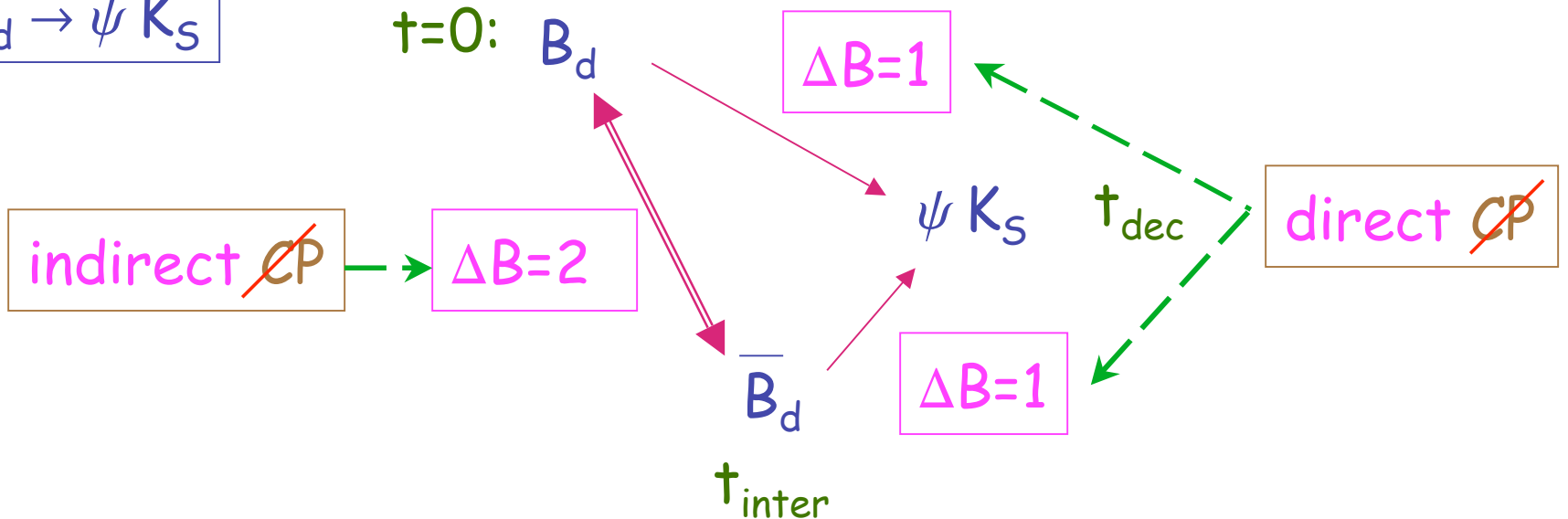
😊 New CP Paradigm: ~~CP~~ phases can be large

Intermezzo 1

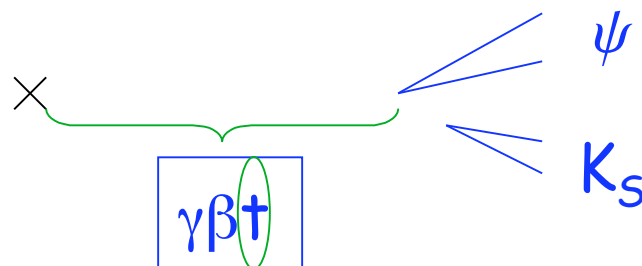
"Praise the gods 2x for EPR correlations"

due to CPT \checkmark ~~CP~~ realized through complex phases

$$B_d \rightarrow \psi K_S$$



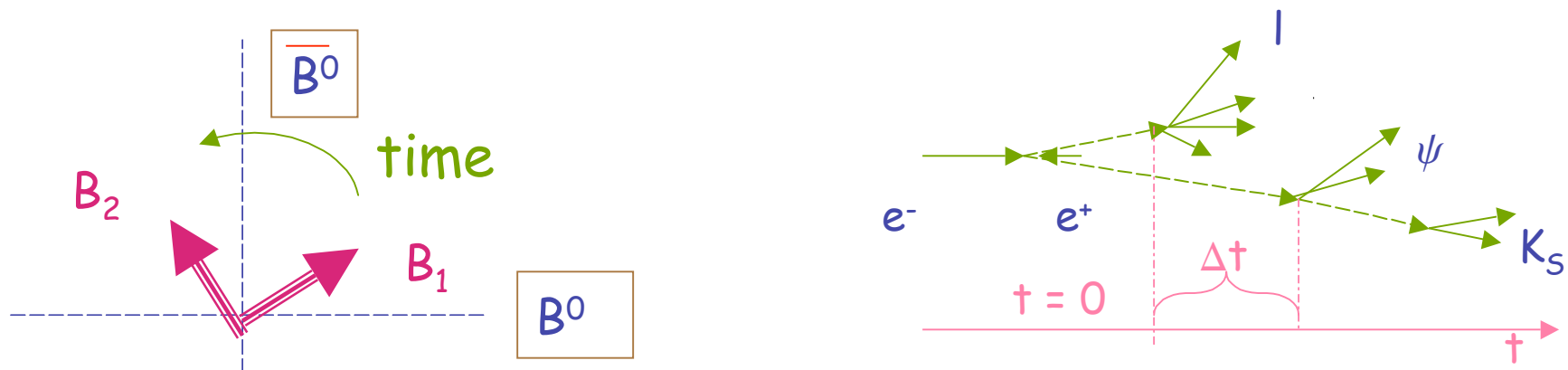
$$\text{rate}(B_d [\bar{B}_d](t_{dec}) \rightarrow \psi K_S) \propto e^{-\Gamma t} (1 - [+]) \text{Asin}\Delta m_d t$$



☹ $e^+e^- \rightarrow B_d \bar{B}_d$: $c\tau \sim 0.45 \text{ mm}$ vs. product. region $\sim 1 \text{ mm}$
 asymmetry washed out?

☺ EPR to the rescue!

$e^+e^- \rightarrow B_1 B_2$ in $C=-$: Bose-Einstein $B_1 \perp B_2$ -- till decay!



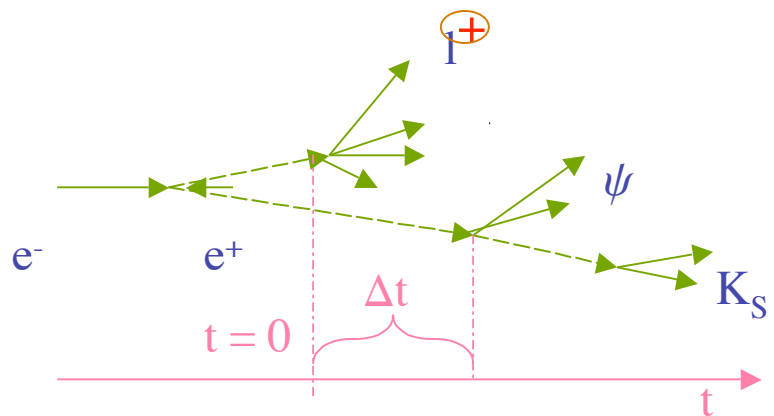
→ need to measure only Δt time interval between decays

$$\text{rate}(e^+e^- \rightarrow B_d \bar{B}_d \rightarrow [l^\pm X]_t [\psi K_S]_{t+\Delta t}) \sim \dots (1 \pm A \sin \Delta m_d \Delta t)$$

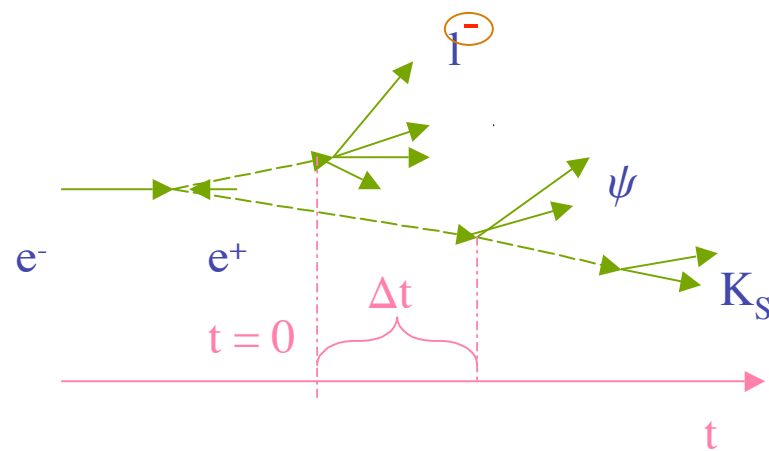
☹ symmetric $e^+e^- \rightarrow \Upsilon(4S) \rightarrow BB$:

cannot resolve B decay vertices & $\int d\Delta t \dots \sin \Delta m_d \Delta t = 0!$

☺ P. Oddone: asymmetric e^+e^- collider to give boost to BB!

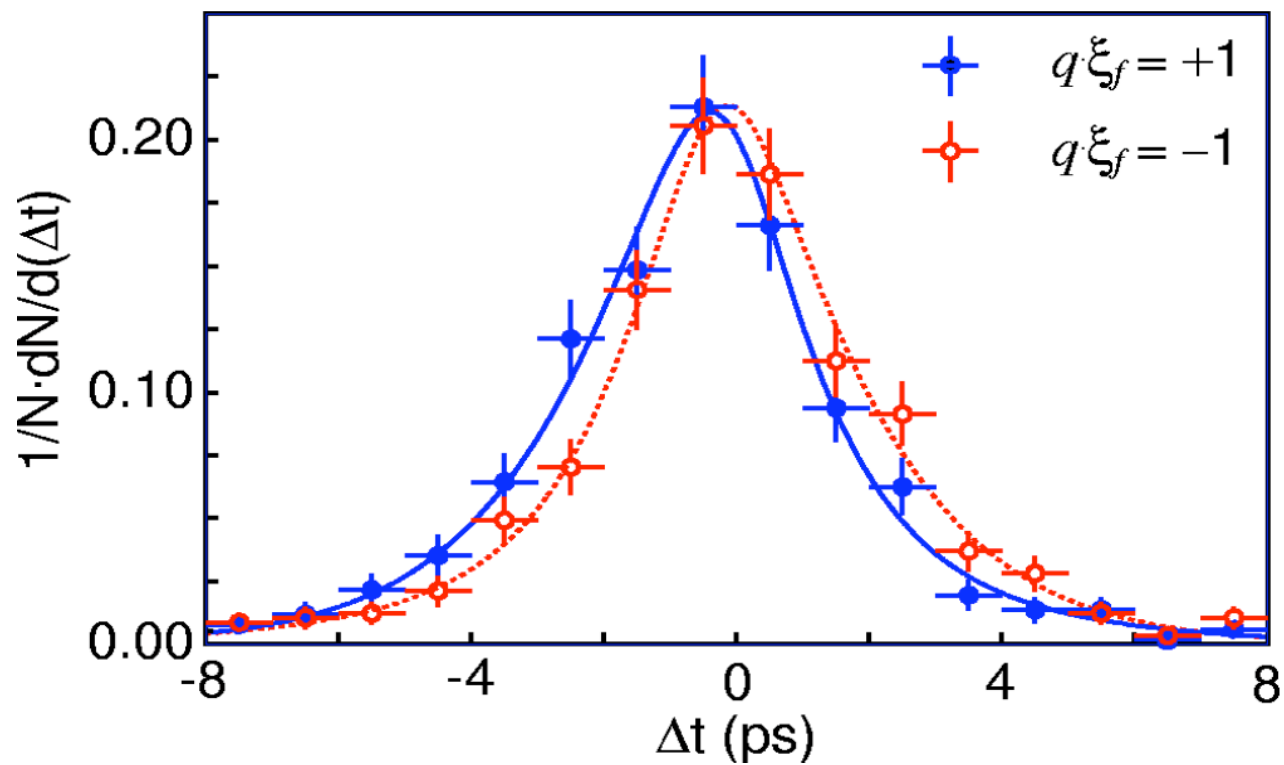


vs.

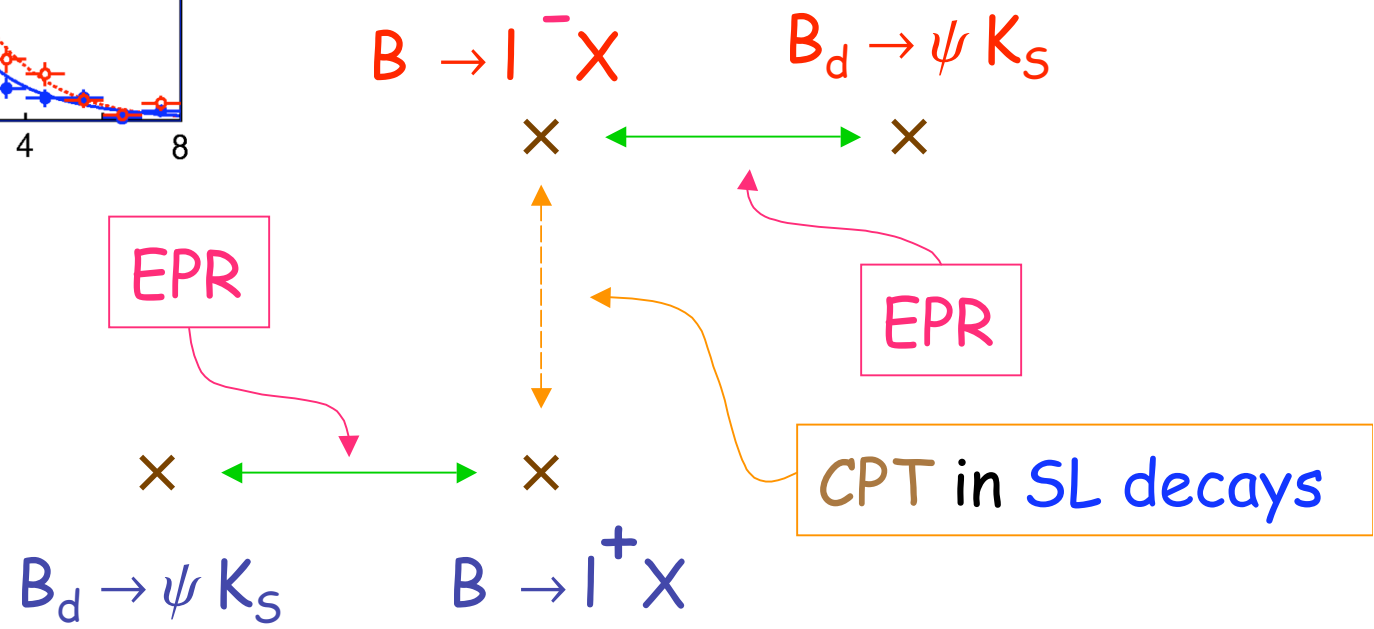
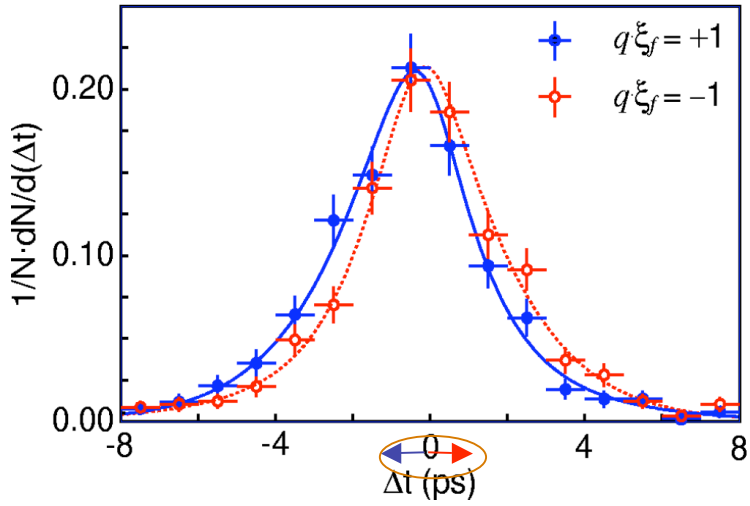


if $e^+e^- \rightarrow l^+ X + \psi K_S \neq e^+e^- \rightarrow l^- X + \psi K_S$

→ ~~CP~~ !



There is even more to it: $\cancel{CP} \Leftrightarrow \cancel{T}$ in B decays



$\cancel{CP} \Leftrightarrow \cancel{T}$ in $B \rightarrow \psi K_S$

assuming CPT merely in SL B decays

Act 2: $B \rightarrow \pi^+ \pi^-$

$$\frac{R_+(\Delta t) - R_-(\Delta t)}{R_+(\Delta t) + R_-(\Delta t)} = S \sin \Delta m_d \Delta t + C \cos \Delta m_d \Delta t, \quad S^2 + C^2 \leq 1$$

$$S = \frac{2 \operatorname{Im}(q/p) \rho(f_{CP})}{1 + |(q/p) \rho(f_{CP})|^2}, \quad C = \frac{1 - |(q/p) \rho(f_{CP})|^2}{1 + |(q/p) \rho(f_{CP})|^2}$$

if $S(f_1) \neq \eta(f_1) \eta(f_2) S(f_2)$ or $C(f) \neq 0 \Rightarrow$ direct \cancel{CP} !

□ Summer 2005

BELLE: $S = -0.67 \pm 0.16 \pm 0.06, C = +0.56 \pm 0.12 \pm 0.06$

→ \cancel{CP} with 5.2σ

direct \cancel{CP} with 3.3σ [superweak: $C=0, S = -(0.75 - 0.82)$]

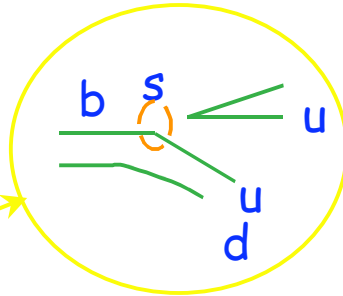
BABAR: $S = -0.30 \pm 0.17 \pm 0.03, C = +0.09 \pm 0.15 \pm 0.04$

🔍 guestimate: $90^\circ < \phi_2 < 146^\circ$ consistent with
indirect estimates $77^\circ < \phi_2 < 122^\circ$

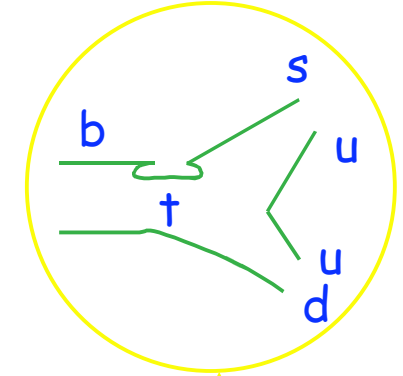
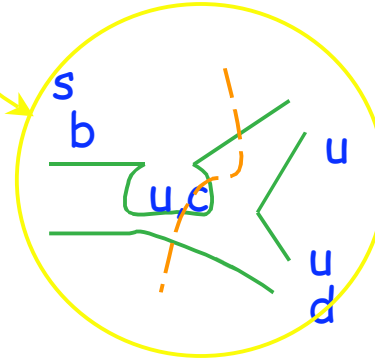
Act 3: More on ~~Direct CP~~

$$B_d \rightarrow \pi^- K^+$$

local operator
with **weak** phase



nonlocal operator
with **strong** phase



local operator not
needed, but there

1987: $BR(B_d \rightarrow \pi^- K^+) \sim 10^{-5}$, $A_{CP} = -0.10$

2004

BABAR *hep-ex/0408057,
submitted to PRL*

$$A_{CP} = -0.133 \pm 0.030 \pm 0.009$$

4.2σ

Belle **Confirmation at ICHEP04**

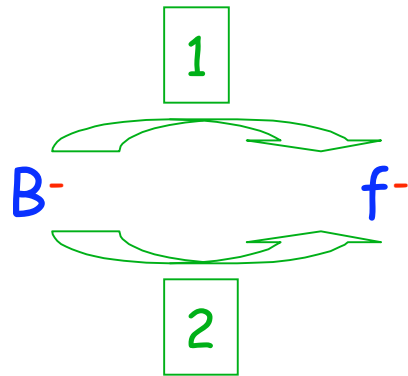
Signal (274M $B\bar{B}$ pairs): 2140 ± 53

$$A_{CP} = -0.101 \pm 0.025 \pm 0.005$$

3.9σ

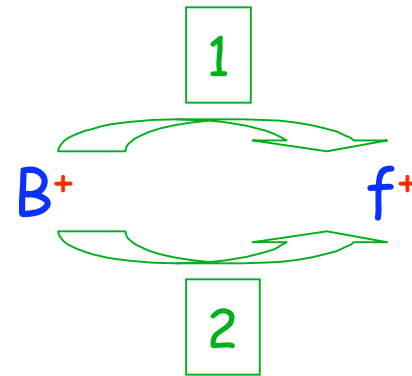
Average $A_{CP} = -0.114 \pm 0.020$

Intermezzo 2



On Final State Interactions & CPT

vs.



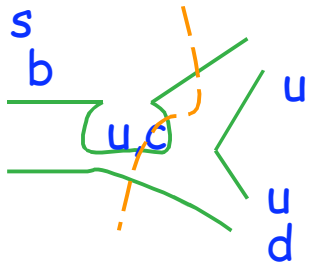
$$\Gamma(B^- \rightarrow f^-) - \Gamma(B^+ \rightarrow f^+) \propto \sin(\phi_1^w - \phi_2^w) \sin(\delta_1^{\text{str}} - \delta_2^{\text{str}})$$

→ need both nontrivial weak & strong phase shifts!

often not appreciated: CPT constraints on strong phase shifts
 simple toy scenario: 2 final states a, b that can rescatter into each other

$$\Delta\Gamma(B \rightarrow a) = 4 \mathcal{T}_{ab}^{\text{resc}} \text{Im} T_a^* T_b = -\Delta\Gamma(B \rightarrow b)$$

Penguins are *very smart* -- know about CPT constraints!



~~CP~~ in $B \rightarrow K + \pi$'s compensated by $B \rightarrow D\bar{D}_s + \pi$'s ...

Caveat: T odd moments -- $\langle \mathbf{p}_1 \cdot (\mathbf{p}_2 \times \mathbf{p}_3) \rangle$ -- can be induced by FSI with T invariant dynamics!

remember $K_{\mu 3}$ decays

reason: T **anti**-linear

$$[X, P] = i\hbar$$

- ✎ a Paradigm of large ~~CP~~ in B decays established in qualitative & quantitative agreement with CKM theory in 3 quite distinct B_d channels
 - commensurate with ~~T~~ and with
 - large direct ~~CP~~ in 2 channels

yet ...

- ✎ this should not have come as a shock ...
- ✎ it does **not** weaken the need to search for NP in B decays

II On Measuring other ~~CP~~ Observables in B Decays

Observables ?

Caveat: must be re-phasing **invariant** under $|B^0\rangle \rightarrow e^{-i\xi}|B^0\rangle$

- $|T(B \rightarrow f)| \neq |T(\bar{B} \rightarrow \bar{f})|$ $\Delta B = 1$
- $|q| \neq |p|$ $\Delta B = 2$
- $\text{Im}(q/p)\bar{\rho}(f)$, $\bar{\rho}(f) = T(\bar{B} \rightarrow f)/T(B \rightarrow f)$ $\Delta B = 1$ & $\Delta B = 1$

•• B^{ch}, Δ_b : only **direct** ~~CP~~

•• $\bar{B}^0 \rightarrow l^+ X$ vs. $B^0 \rightarrow l^- X$: only **indirect** ~~CP~~ within SM

•• $B^0/\bar{B}^0 \rightarrow f$: **direct & indirect** ~~CP~~

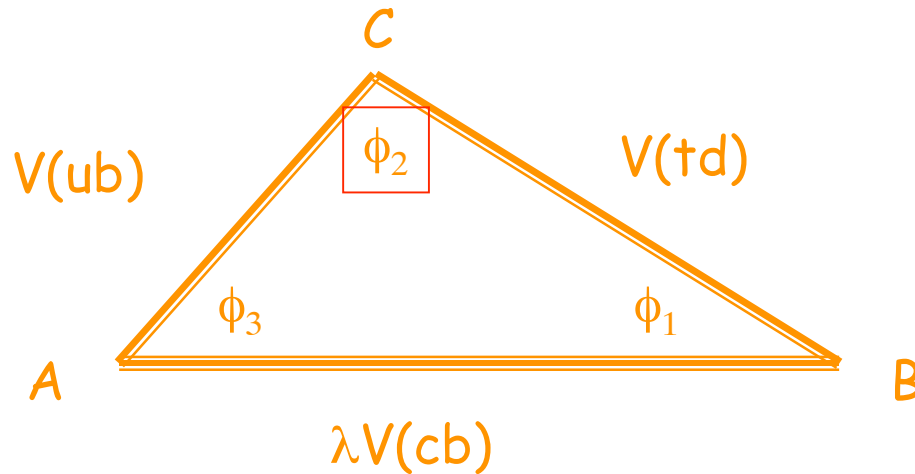
$$\text{CP} = S \sin \Delta M_B t + C \cos \Delta M_B t$$

$$C = \frac{1 - |(q/p)\bar{\rho}(f_{\text{CP}})|^2}{1 + |(q/p)\bar{\rho}(f_{\text{CP}})|^2} \quad \text{unambiguously direct}$$

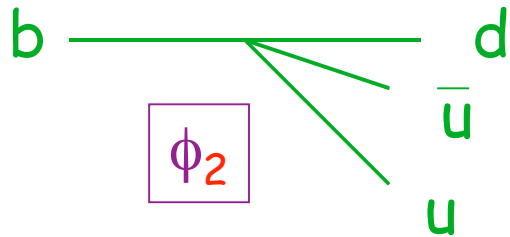
$$S = \frac{2 \operatorname{Im} (q/p) \bar{\rho}(f_{CP})}{1 + |(q/p) \bar{\rho}(f_{CP})|^2}$$

- seen in single channel only: no true distinction direct/indirect
- if $S(f_1) \neq \eta(f_1) \eta(f_2) S(f_2) \Rightarrow$ direct ~~CP~~ !
- this source of $\Delta B=1$ ~~CP~~ might not be seen via C contribution

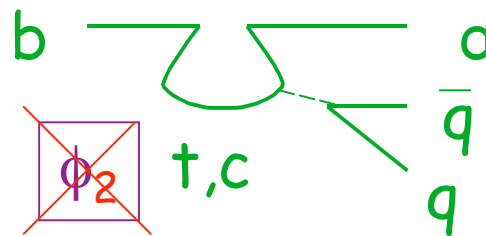
II.1 ϕ_2 from ~~CP~~ in $B_d \rightarrow$ pions



2 operators contribute:



'tree'



'Penguin'

'pollution'

blame us -- **not**
the Penguins!

to isolate 'pollution' through isospin decomposition:

$$\Leftrightarrow B^{0,\pm} \rightarrow \pi^{+,0} \pi^{-,0}, \pi^{\pm} \pi^0$$

challenging experimentally, yet reliable theoretically

$$\Leftrightarrow B^{0,\pm} \rightarrow \rho^{+,0} \pi^{-,0}, \rho^{\pm} \pi^0, \pi^{+,0} \rho^{-,0}, \pi^{\pm} \rho^0$$

less challenging experimentally, yet reliable theoretically??

$B \rightarrow \pi\pi\pi$: $\rho\pi$ vs. $\sigma\pi$ vs. ?? (U. Meissner, S. Gardner)

$$\Leftrightarrow B^{0,\pm} \rightarrow \rho^{+,0} \rho^{-,0}, \rho^{\pm} \rho^0$$

even better experimentally, yet even worse theoretically

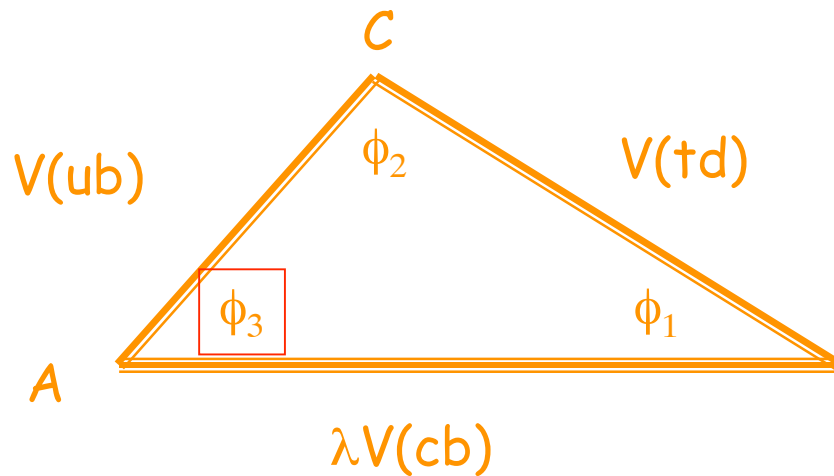
$B \rightarrow \pi\pi\pi\pi$: $\rho\rho$ vs. $\sigma\rho$ vs. $\sigma\sigma$ vs. $\rho\pi\pi$ vs. $\sigma\pi\pi$ vs. ...

Caveat: the σ -- even if it exists -- not described by Breit-Wigner parametrization

memento: precision -- say $\pm 5\%$ -- required!

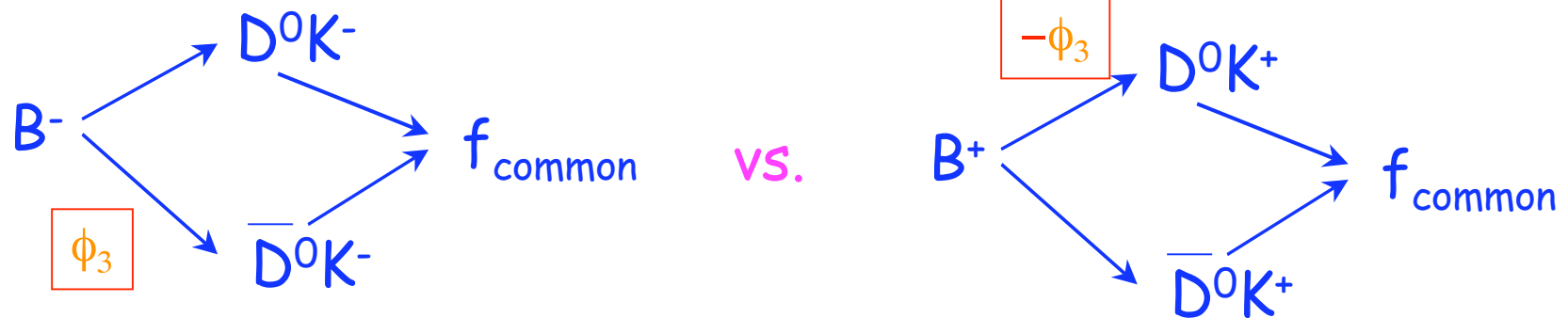
- need expertise from low-energy hadronization
(chiral dynamics, Dalitz plot)
- valuable information to be gained from
 $D_{(s)} \rightarrow l \nu K\pi / \pi\pi / KK$

II.2 ϕ_3 from ~~CP~~ in $B^\pm \rightarrow D^{\text{neut}} K^\pm$



first mentioned by Sanda in '80
dedicated paper

IB, A.Sanda, PLB211 ('85)213



original idea: $f_{\text{common}} = h_1 h_2$ -- $K_S \pi^0, K^+ K^-, \pi^+ \pi^-, K^+ \pi^-, K^- \pi^+$

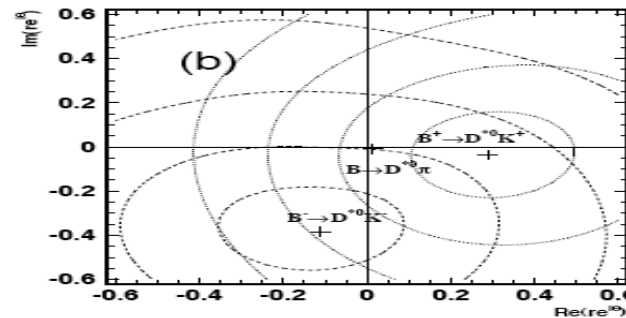
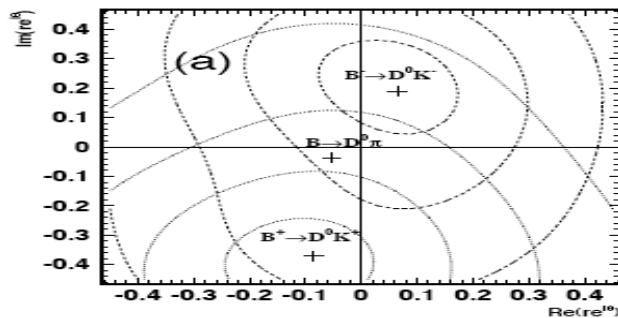
drawback: small BR's

new idea implemented by BELLE:
 use $f_{\text{common}} = K_S \pi^+ \pi^-$ coupled with Dalitz plot analysis
 requires a lot of investment if effort -- yet pays
 handsome profit in cross checks \implies confidence!

A. Poluektov *et al.* (Belle Collaboration), hep-ex/0406067, to appear in PRD.

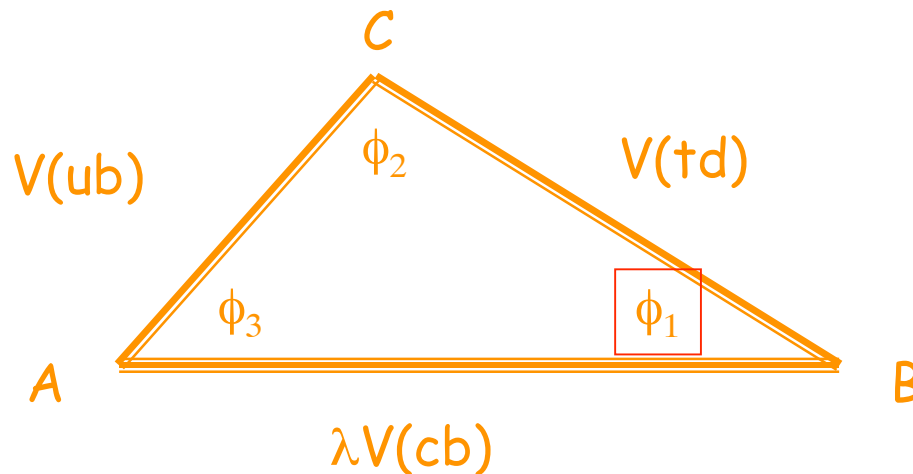
Using $B^\pm \rightarrow DK^\pm$ and $B^\pm \rightarrow D^*K^\pm$ ($D^* \rightarrow D\pi^0$)

$$\phi_3 = 77^\circ \begin{matrix} +17^\circ \\ -19^\circ \end{matrix} (\text{stat}) \pm 13^\circ (\text{syst}) \pm 11^\circ (\text{model})$$

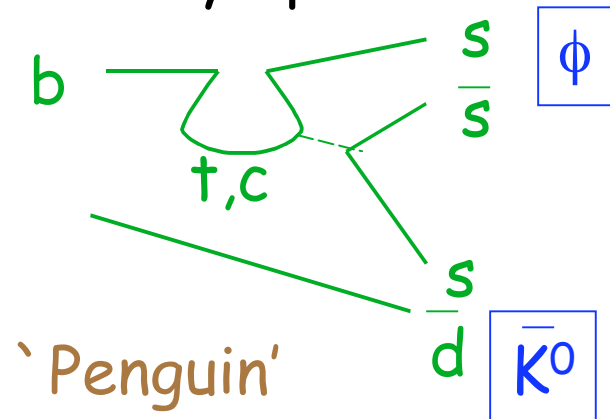


I consider it still a pilot study -- yet a very promising
 one -- showing the power of using hadronization as a
 (difficult) ally

II.3 ϕ_1 from ~~CP~~ in $B_d \rightarrow 3$ kaons



1 decay operator:



excellent for searching for NP

- ❑ pure loop effect in SM
- ❑ single $\Delta B=1$ operator
- ❑ reliable SM prediction

$$\sin 2\phi_1 (B_d \rightarrow \psi K_S)^- \approx \sin 2\phi_1 (B_d \rightarrow \phi K_S)^-$$

- ❑ ϕ a narrow resonance

measure

$$\sin 2\phi_1 = 0.726 \pm 0.037 \text{ from } B_d \rightarrow \psi K_S$$

Summer 2003

- BELLE: $\sin 2\phi_1^{\text{eff}} = -0.96 \pm 0.5 \pm 0.010$
- BABAR: $\sin 2\phi_1^{\text{eff}} = +0.45 \pm 0.43 \pm 0.07$

Summer 2004



[hep-ex/0408072]



[hep-ex/0409049]

$$\begin{aligned} \text{“}\sin 2\phi_1\text{”} &= +0.50 \pm 0.25 \begin{matrix} +0.07 \\ -0.04 \end{matrix} \\ A &= 0.00 \pm 0.23 \pm 0.05 \end{aligned}$$

$$\begin{aligned} \text{“}\sin 2\phi_1\text{”} &= +0.06 \pm 0.33 \pm 0.09 \\ A &= +0.08 \pm 0.22 \pm 0.09 \end{aligned}$$

ϕK^0

SVD1:

4.5% (MC)

SVD2:

$$S = -0.68 \pm 0.46$$

\leftrightarrow

$$S = +0.78 \pm 0.45$$

$$A = -0.02 \pm 0.28$$

$$A = +0.17 \pm 0.33$$

many systematic checks, all ok



Summer 2005

measure

$$\sin 2\phi_1 = 0.685 \pm 0.032 \pm ?? \text{ from } B_d \rightarrow \psi K_S$$



$$\begin{aligned} \text{“sin}2\phi_1\text{”} &= +0.44 \pm 0.27 \pm 0.05 \\ A &= -0.14 \pm 0.17 \pm 0.07 \end{aligned}$$

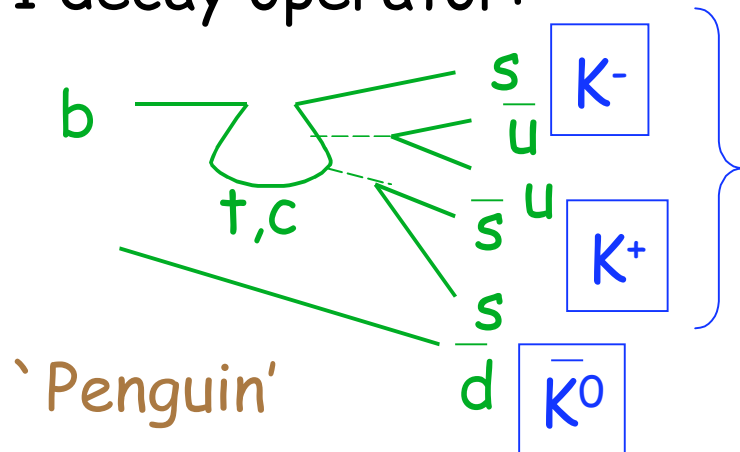
Summer 2003

□ BELLE: $\sin 2\phi_1^{\text{eff}} = -0.96 \pm 0.5 \pm 0.010$

Summer 2004

$$\begin{aligned} \text{“sin}2\phi_1\text{”} &= +0.06 \pm 0.33 \pm 0.09 \\ A &= +0.08 \pm 0.22 \pm 0.09 \end{aligned}$$

1 decay operator:



$\phi, f_0(980), \dots$

$$\cancel{CP}(B_d \rightarrow \phi K_S) = - \cancel{CP}(B_d \rightarrow f_0(980) K_S)$$

i.e., a smallish 'pollution' by $f_0 K_S$
 reduces \cancel{CP} observed in ϕK_S

➔ need to perform full Dalitz plot analysis for

- ❑ $B_d \rightarrow K^+ K^- K_S$,
- ❑ $B_d \rightarrow K_S K_S K_S$
- ❑ $B^+ \rightarrow K^+ K^- K^+$,
- ❑ $B^+ \rightarrow K^+ K_S K_S$

S. Bianco's razor:

measure \cancel{CP} in $B_d \rightarrow [K^+ K^-]_M K_S$ as
 function of cut on M

II.4 Superweak ~~CP~~ in $SL B_d$ Decays

$$a_{SL}(B_d) = \frac{\Gamma(\bar{B}_d \rightarrow l^+ X) - \Gamma(B_d \rightarrow l^- X)}{\Gamma(\bar{B}_d \rightarrow l^+ X) + \Gamma(B_d \rightarrow l^- X)}$$

- suppressed by $\Delta\Gamma/\Delta M$
- KM: $a_{SL}(B_d) = < 10^{-3}$

III ~~CP~~ in B_s Decays -- an Independent Chapter in Nature's Book

`Think outside the box!' -- several SM relations unlikely to hold beyond minimal extensions of SM

B_u/B_d and B_s 2 different chapters in

Nature's Book on Fundamental Dynamics!

$$\Delta M_s$$

within SM: $\Delta M_s/\Delta M_d = B_s f^2(B_s)/B_d f^2(B_d) |V(ts)|^2/|V(td)|^2$

$$\Delta M_s \left\{ \begin{array}{l} \sim 15 - 30 \text{ psec}^{-1} \text{ SM-CKM} \\ > 14.5 \text{ psec}^{-1} \end{array} \right.$$

$\Delta\Gamma_s$

theoret. predict.
based on quark
box diagram

data

$\Delta\Gamma(B_s)/\Gamma(B_s)$

$0.18(f_B/0.2\text{GeV})^2$ '87
 0.12 ± 0.04 '04

0.65 ± 0.3 CDF
 0.23 ± 0.17 D0

my heart wishes $\Delta\Gamma(B_s)/\Gamma(B_s) \sim 0.5$

yet my head tells me $\Delta\Gamma(B_s)/\Gamma(B_s) > 0.25$ very unlikely

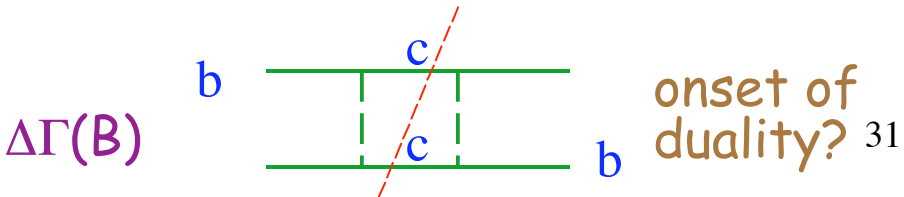
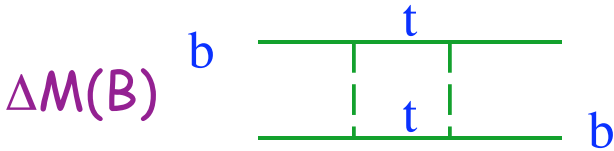


enhance $\Delta\Gamma_s$

enhance Γ_s

$\Delta\Gamma(B_s)/\Gamma(B_s) > 0.25$ inconsistent with $\langle\tau(B_s)\rangle/\tau(B_d) = 1 \pm \sim 0.01-0.02$

quark box diagram less reliable for $\Delta\Gamma(B)$ than for $\Delta M(B)$



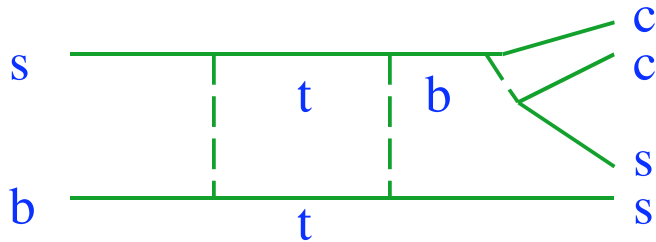
chance for massive impact of NP:

□ $B_s \rightarrow \mu^+ \mu^-$

in some SUSY scenarios $(\tan\beta)^6!$

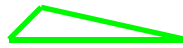
□ ~~CP~~ in $B_s \rightarrow \psi \phi/\eta$

in CKM $\sim 2\%$



quarks of 2nd and 3rd family only!

several $\times 10\%$ possible with NP



bs triangle: $V_{us}^* V_{ub} + V_{cs}^* V_{cb} + V_{ts}^* V_{tb} = \delta_{bs} = 0$

□ ~~CP~~ in $B_s \rightarrow \phi \phi$

much more than a repetition of

$B_d \rightarrow \phi K_S$ -- 3 partial waves!

□ $B_s \rightarrow l^+ X$ vs. $B_s \rightarrow l^- X$

in CKM $< 10^{-4}$, yet could be enhanced by $\sim 100!$

IV Rare B Decays

IV.1 Loop Induced Transitions

$$B \rightarrow \gamma X_q$$

Rate as well as photon spectrum in remarkable agreement with predictions (see Lecture IV)

$$B \rightarrow l^+ l^- X_q$$

$$\text{BR}(B \rightarrow l^+ l^- X) \begin{cases} = (6.2 \pm 1.1 \pm 1.5) \times 10^{-6} & \text{BELLE/BaBar} \\ = (4.2 \pm 0.7) \times 10^{-6} & \text{SM} \end{cases}$$

- larger # of effective operators
- more observables: spectra of leptons, their forward-backward & CP asymmetries
- ☞ with the statistics of Super-B can (start to) mine this wealth of potential information on New Physics
- ➔ much wider window to
 - ☞ find New Physics &
 - ☞ diagnose its features
- 💣 **G. Hiller**: some of this info can be obtained in a model independent way by studying the position of the zero in the lepton forward-backward asymmetry in the exclusive $B \rightarrow l^+ l^- K^*$, i.e. at a hadronic collider

Case study

deviations from SM in $B \rightarrow \phi K_S$ constrained by $B \rightarrow \gamma X_S$

-- unless photon carries wrong helicity

- contributes **quadratically** to $\Gamma(B \rightarrow \gamma X_S)$
- while **linearly** to \cancel{CP} in $B \rightarrow \phi K_S$

How to check?

- measure photon **polarization** in $B \rightarrow \gamma X_S$

$$B \rightarrow \gamma(K\pi)$$

- analyze form factors in $B \rightarrow l^+l^-X_S$
- measure form factors in $B \rightarrow l^+l^-K, l^+l^-(K\pi)$
 - rely on LQCD validated in $D \rightarrow lvK, lv(K\pi)$

$$B \rightarrow \nu\nu X_q$$

$$\begin{array}{l}
 \text{BR}(B \rightarrow \nu\nu K) \left\{ \begin{array}{l} \leq 7.0 \times 10^{-5} \quad \text{BaBar} \\ = (3.8^{+1.2}_{-0.6}) \times 10^{-6} \quad \text{SM (BuHiIs)} \end{array} \right. \\
 \\
 \text{BR}(B \rightarrow \nu\nu X) \left\{ \begin{array}{l} \leq 7.7 \times 10^{-4} \quad \text{ALEPH} \\ = 3.5 \times 10^{-5} \quad \text{SM} \gg \text{BR}(B \rightarrow l^+l^- X) \end{array} \right.
 \end{array}$$

• dynamical info in general different from $B \rightarrow l^+l^- X$

can a Super-B detector be sufficiently hermetic?

IV.2 Other Rare B Decays

$B \rightarrow \tau \nu D$

search for charged Higgs contrib. in large $\tan \beta$ scenario in

$$\Gamma(B \rightarrow \tau \nu D) / \Gamma(B \rightarrow \mu \nu D) \quad (\text{Miki, Miura \& Tanaka})$$

Yet

- ☹ hadronic form factors drop out **only** for $m_{b,c} \rightarrow \infty$
- ☺ **BPS formalism** (Uraltsev) allows to calculate to all orders in $1/m_Q$

if validated in extracting $V(cb)$ from $B \rightarrow \tau \nu D$

➔ **sensitive probe** for non-minimal Higgs dynamics due to novel **theoretical tool**

$$B \rightarrow \tau \nu X_c$$

see Lecture IV

IV Summary of Lecture III

Success of CKM theory -- while not unexpected -- truly impressive

→ have a **tested theory** of ~~CP~~

`demystification' of ~~CP~~: it is **not** intrinsically small

`demystification' completed if ~~CP~~ **found** anywhere in **lepton sector**

Let me clarify `expected'

- the discovery of large CP in B decays **validated** a **theory & a paradigm**
- data are the final arbiter: **established** >>>> **expected/predicted**
- the **discovery of Z^0 and W^\pm** crowned one of the **major intellectual human triumphs** of the 2nd half of the 20th century
the fact they were predicted by the SM does **not** detract from that!

only now reaching territory where significant deviations from CKM can `realistically' hoped for

- loop induced transitions -- $B \rightarrow l^+ l^- X, \nu \nu X$ -- not a luxury, but an essential & highly sensitive probe
- B_s transitions independent chapter in Nature's book